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Time Series analysis is a statistical technique used to analyze data points collected or recorded at specific time intervals. It focuses on identifying patterns, trends, seasonal variations, and cyclical behaviors within the data over time. This method is essential for understanding historical data and making predictions or forecasts about future values. Common components of time series include trend (long-term direction), seasonality (repeating patterns at regular intervals), and random noise (unexplained fluctuations). Time series analysis is widely applied in fields like finance, economics, weather forecasting, and inventory management, aiding in decision-making and strategic planning through data-driven insights.Components of a Time Series:Time Series typically consists of four main components, each representing different patterns in the data. These components help in understanding the underlying structure and behavior of the data over time. The four primary components are:1. Trend (T)The long-term movement or direction in the data, either upward, downward, or flat.Example: In sales data, a consistent increase over several years indicates an upward trend.Importance: Helps in understanding the general direction of the dataset over time.2. Seasonality (S)Repeating short-term patterns or fluctuations within a fixed period, such as daily, weekly, monthly, or yearly cycles.Example: Retail sales often peak during the holiday season every year.Importance: Identifies periodic fluctuations that repeat at regular intervals, allowing businesses to plan for seasonal changes.3. Cyclic (C)Long-term fluctuations that are irregular and occur over periods longer than a year. These cycles do not have a fixed period and may be influenced by economic or other factors.Example: Economic recessions and booms are cyclical but do not follow a predictable pattern.Importance: Helps in understanding the impact of long-term macroeconomic factors on the data.4. Random (Noise) (R)The unpredictable, irregular component of the data that cannot be explained by trends, seasonality, or cycles. It results from random events or irregular occurrences.Example: Sudden natural disasters, strikes, or other unplanned events.Importance: Identifying and accounting for noise is essential for more accurate forecasting and analysis.Multiplicative ModelsMultiplicative models in time series analysis are used when the components of a time series (trend, seasonality, cyclical, and random) interact in such a way that their combined effect is best represented by multiplication rather than addition. In this model, each component of the time series is multiplied together to explain the behavior of the data. It assumes that the effect of the components on the time series is proportional.Mathematical Representation:The multiplicative model can be expressed as:Yt = Tt St Ct RtWhere:Yt = Observed value at time tTt = Trend component at time tSt= Seasonal component at time tCt = Cyclical component at time tRt = Random noise at time tWhen to Use the Multiplicative Model: The multiplicative model is suitable when the seasonal or cyclical effects increase or decrease in proportion to the trend. For example, if sales are doubling each year and the seasonal effect also doubles, a multiplicative model would be more appropriate than an additive one.Data with a Non-Constant Variability:When the variability of the data changes over time, typically as the trend increases, this model becomes more suitable because it captures proportional variations better.Features:Proportional Relationships:Each component in the time series interacts multiplicatively, meaning the combined effect of the components changes as the values of the components themselves change. In a multiplicative model, seasonal fluctuations are expressed as a percentage of the trend, and they amplify or reduce based on the magnitude of the trend.Handling Exponential Growth:The model is ideal for data where the trend is growing or shrinking exponentially, as it allows the components to grow in proportion to each other.Example:Consider a business where sales grow over time (trend), and there is a regular seasonal effect (e.g., higher sales in December). If the trend is doubling sales every year, and the seasonal effect is 1.5 times higher in December, the multiplicative model would reflect the compounding effect of these components on the overall sales data.Additive ModelsAdditive models in time series analysis are used when the components of a time series (trend, seasonality, cyclicity, and random noise) are assumed to influence the observed data independently and additively. This means that the overall value of the time series is the sum of the individual components, without any interaction between them.Mathematical Representation:The additive model can be expressed as:Yt = Tt + St + Ct + RtWhere:Yt= Observed value at time tTt = Trend component at time tSt = Seasonal component at time tCt = Cyclical component at time tRt = Random noise at time tWhen to Use the Additive Model: The additive model is appropriate when the magnitude of seasonal and cyclical fluctuations remains relatively constant over time, regardless of the trend. It is suitable for datasets where the components of the series do not change in proportion to the level of the trend. This is typical for data where variability or seasonality remains roughly the same in magnitude over time.Key Features: Each component (trend, seasonality, cyclicality, and random noise) contributes separately to the overall time series. There is no interaction or proportionality between them.Constant Seasonal Effect:In an additive model, the seasonal fluctuations are the same, irrespective of the underlying trend. For example, if sales increase by 20 units every winter, the seasonal effect would always add 20 units to the sales data, regardless of the overall growth trend. Trend component in an additive model represents a constant increase or decrease over time, suitable for data that grows linearly rather than exponentially.Example:Consider a dataset for monthly sales where the trend increases by a fixed number each year, and seasonal fluctuations are consistent every year (e.g., higher sales in December). If sales increase by 100 units per year and the seasonal effect is an additional 20 units in December, the additive model would assume that the total sales in December are the sum of the trend (100) and the seasonal effect (20). Time series analysis is a statistical technique used to analyze and interpret sequential data points collected over time. This method of data analysis provides insights into the underlying patterns, trends, and behaviors of a given dataset with a different perspective than other statistical analyses. By making observations at equally spaced intervals, data professionals can make informed decisions based on historical trends, accurate predictions for better future outcomes, and impactful improvements in the areas that matter most to the organization. The Importance of Time Series AnalysisTime series analysis plays a pivotal role in extracting meaningful information from temporal data, enabling organizations to make informed decisions through uncovering patterns and trends that may not be immediately apparent in raw data. By identifying these temporal dependencies, organizations can gain insights into the factors influencing their operations, allowing them to continuously adapt to shifting business landscapes.Learn more about the different types of data analysis.How Does Time Series Analysis Work?Time series analysis involves studying the temporal ordering of data points to uncover patterns, trends, and dependencies. It is typically composed of the following steps:Data collectionGather relevant data over a specified time period. These activities could include daily stock prices, monthly sales figures, hourly temperature readings, or any other dataset with a temporal component.Data explorationExamine the dataset for trends, seasonality, and outliers. Visualization tools such as line charts, bar graphs, and histograms are commonly used to gain a preliminary understanding of the data.Stationarity assessmentCheck if the data is stationary, meaning its statistical properties remain constant over time. Stationarity is a crucial assumption for many time series models.DecompositionBreak down the time series into its components, typically trend, seasonality, and residuals. This decomposition activity helps in understanding the underlying patterns within the data.ModelingChoose an appropriate time series model based on the characteristics of the data. Common models include autoregressive integrated moving average (ARIMA), seasonal-trend decomposition using locally estimated scatterplot smoothing (LOESS STL), and exponential smoothing state space models (ETS).Model evaluationAssess the accuracy of the chosen model using statistical metrics such as mean absolute error (MAE) or root mean square error (RMSE). Evaluation activities ensure that your model effectively captures the patterns in the data.PredictionOnce a satisfactory model is selected, use it to make predictions about future data points (e.g., for forecasting and strategic decision-making).Time Series ModelingModeling involves selecting the appropriate model based on the profile of your data. The three distinct time series analysis methods are ARIMA, STL, and ETSeach has its own strengths, drawbacks, and unique characteristics.ARIMAARIMA is a widely used time series forecasting method that combines autoregressive (AR) and moving average (MA) components. It is effective in capturing both short-term dependencies through lagged observations (AR) and smoothing out irregularities (MA). ARIMA is suitable for stationary time series data and provides a flexible framework for modeling various patterns.ARIMA is less adept at handling seasonality directly, and additional differencing might be required to achieve stationarity. Moreover, ARIMA assumes that the relationship between variables is linear, which can limit its effectiveness in capturing complex nonlinear trends.Time series analysis with ARIMA. Source: is a non-parametric time series decomposition method that separates a time series into three components: seasonal, trend, and remainder. It is particularly effective in handling data with strong seasonality and irregularities. STL uses locally estimated scatterplot smoothing (LOESS) to decompose the time series into these components.While STL excels at capturing seasonality and trends, it may be less suitable for data without clear patterns. Additionally, the decomposition may not work well if the data has irregularities or outliers, as LOESS can be sensitive to extreme values.STL using LOESS. Source: models based on exponential smoothing are suitable for time series data with different levels of seasonality and trend. These models include error, trend, and seasonality components, allowing for flexibility in capturing various patterns. ETS models are adaptive, making them suitable for datasets with changing characteristics over time.ETS models may struggle with handling long-term trends and can be sensitive to the choice of smoothing parameters. They are generally more suitable for shorter-term forecasting, and their performance may decline when applied to data with complex or nonlinear trends.ETS with exponential smoothing. Source: proper application of ARIMA, STL, and ETS depends on the specific characteristics of the time series data and the goals of the analysis:ARIMA is versatile but assumes linearitySTL is robust for seasonality, but may struggle with irregularitiesETS models provide adaptability but might be less effective for long-term trendsData professionals often experiment with multiple methods to determine the most suitable approach for their particular dataset and forecasting objectives.Types of Time Series AnalysisTime series analysis encompasses various approaches, each tailored to address specific characteristics of the data. The following are some of the more common types.Univariate Time Series AnalysisThis involves analyzing a single variable over time, such as stock prices, temperature, or sales figures.Univariate Time Series Analysis. Source: Time Series AnalysisThis approach examines the relationship between two or more variables over time. Its particularly useful for analyzing the impact of multiple factors on a given outcome.Multivariate Time Series Analysis. Domain AnalysisThis approach focuses on the frequency components of a time series, revealing patterns that might be hidden in the time domain. Fourier analysis is a common technique in frequency domain analysis.Fourier Analysis. Source: Fourier_transform,_Fourier_series,_DTFT,_DFT.svg.Time-Frequency AnalysisThis type of analysis explores how the frequency components of a time series change over time. Wavelet analysis is a popular method of time-frequency analysis.Time-frequency analysis. Source: E2%80%93frequency_analysis#/media/File:X1-x2.jpg.Longitudinal Data AnalysisThis kind of analysis deals with repeated measurements taken from the same subjects over time, emphasizing individual growth or change.Longitudinal Data Analysis. Source: AnalysisCointegration analysis examines the long-term equilibrium relationship between non-stationary time series, and is often used in financial and economic analyses.Plot of a cointegration test. Source: of these types of time series analysis has its relative strengths and weaknessesyour methodology choice will depend on the nature of the data, your organizations problem or target, and the goals of the analysis.Benefits of Time Series AnalysisThe application of time series analysis offers a multitude of benefits across various domains. Here are the most common:Pattern recognitionTime series analysis helps identify underlying patterns and trends within a dataset, providing valuable insights into the factors influencing the observed behavior.ForecastingBy analyzing historical data, time series models can make accurate predictions about future trends, facilitating proactive decision-making and strategic planning.Anomaly detectionTime series analysis is effective in detecting unusual events or outliers in a dataset. This is particularly crucial for industries where anomalies may indicate potential issues or threats.OptimizationUnderstanding temporal dependencies allows organizations to optimize processes and resource allocation, leading to increased efficiency and cost savings.Risk managementIn finance and other industries, time series analysis is instrumental in assessing and managing risks associated with various factors, such as market fluctuations or supply chain disruptions.Resource planningBusinesses can use time series analysis to forecast demand for products or services, enabling efficient resource planning and inventory management.The versatility of time series analysis makes it a valuable tool for decision-makers across different industries/sectors, enabling them to execute more informed, data-driven choices with better outcomes.Cross Sectional Data vs. Time Series DataWhile cross-sectional and time series data both involve the collection of data points, they differ in terms of their temporal characteristics. Cross-sectional data represents a snapshot of a population at a specific point in timeobservations are collected from multiple subjects or entities simultaneously.For example, a survey conducted at a particular moment to understand the preferences of consumers represents cross-sectional data. In contrast, time series data involves the collection of data points over successive time intervals (for example, daily, monthly, or yearly observations of a particular variable). Stock prices recorded every day for a year or monthly sales figures over several years are examples of time series data.Different analytical methods apply to each type of data, so its important to understand these differences. While cross-sectional data analysis focuses on understanding differences between subjects at a specific point in time, time series analysis seeks to uncover patterns and trends within a variable over time.Examples of Time Series AnalysisThe following examples help to illustrate the practical application of time series analysis across different domains.Financial Time Series Analysis and Stock Price ForecastingConsider a scenario where an investor wants to predict the future prices of a particular stock. By analyzing historical stock prices using time series models such as ARIMA or GARCH, the investor can make informed decisions about buying or selling stocks based on forecasted trends.Risk Management in Banking and FinanceBanks use time series analysis to assess the risk associated with lending, investment, and market activities. By analyzing historical data on loan defaults, interest rates, and economic indicators, banks can develop risk models to make more informed lending and investment decisions.Business Time Series Analysis and Sales ForecastingRetailers often employ time series analysis to forecast future sales based on historical data. By analyzing past sales patterns, seasonality, and other factors, businesses can optimize inventory management, marketing strategies, and resource allocation.Financial Budgeting and ForecastingBusinesses rely on accurate financial forecasting to plan and allocate resources effectively. Time series analysis can be applied to historical financial data to predict future trends in revenue, expenses, and overall financial performance.This helps organizations create more accurate budgets, set realistic financial goals, and make informed decisions about investments, expansions, or cost-cutting measures. Financial time series analysis is particularly valuable for CFOs and financial analysts looking for instruments to navigate dynamic economic environments and make strategic financial decisions.Marketing Campaign EffectivenessBusinesses often run various marketing campaigns throughout the year to promote their products or services. Time series analysis can be employed to assess the effectiveness of these campaigns by tracking key performance indicators (KPIs) over time.Metrics such as website traffic, conversion rates, and sales can be analyzed to identify patterns and trends associated with specific marketing initiatives. This analysis helps businesses optimize their marketing strategies by focusing on the most successful campaigns and adjusting those that may not be yielding the desired results.Customer Satisfaction and Feedback AnalysisUnderstanding customer satisfaction is critical for businesses aiming to improve their products and services. Time series analysis can be applied to track customer feedback over time, whether its collected through surveys, reviews, or social media.By analyzing the temporal patterns of customer sentiment, businesses can identify areas that consistently receive positive feedback or areas that may require attention. This information is invaluable for making continuous improvements to enhance overall customer satisfaction and loyalty.Supply Chain OptimizationFor manufacturing and retail organizations, optimizing the supply chain is crucial for efficiency and cost-effectiveness. Time series analysis can help businesses forecast demand for their products based on historical sales data.By identifying seasonal trends, patterns, and potential disruptions, companies can optimize inventory levels, production schedules, and distribution processes. This ensures that products are available when needed, minimizes excess inventory costs, and improves overall supply chain management.Employee Performance and ProductivityHuman resources departments can utilize time series analysis to assess employee performance and productivity over time. By tracking key performance metrics, such as sales targets, project completion rates, or customer service response times, organizations can identify patterns and trends in employee performance. This analysis can contribute to more effective performance evaluations, identify training needs, and assist in resource allocation within the organization. Time series analysis is a powerful tool that enables organizations to extract valuable insights from temporal dataprimarily by uncovering patterns and trends to guide decision-making. Understanding the temporal dependencies within data allows data professionals to forecast future trends, optimize resource allocation, and manage risks effectively.Read What is Regression Analysis? to learn more about another essential data analysis method used for a wide range of business applications. In mathematics, time series is a series of data points listed with respect to time; most commonly, it is a sequence taken at successive equal intervals point in time. Common examples of time series are daily closing values of the stock market, counts of sunspots etc. Time series analysis comprises methods for analysing time-series data to extract meaningful statistical information and other data characteristics. In contrast, time series forecasting uses a model to predict future values based on previously observed values. In this article, we are going to explore the following regression techniques used for time series forecasting; The dataset we are using for all the techniques remains the same and can be found here. The dataset contains weather data collected for the city of Delhi for four years, from 2013 to 2017. import pandas as pd data = pd.read_csv('DailyDelhiClimateTrain.csv') data.head() Lets plot the line chart for humidity. import plotly.express as pxfig = px.line(data, x=data.date, y='humidity', title='Humidity with slider')fig.update_xaxes(rangeslider_visible=True)fig.show() In multiple regression models, we forecast variables of interest using a linear combination of predictors. Here in the autoregressive model, we forecast the variable of interest using a linear combination of past values of the variable. The term autoregression indicates it is a regression of variables against itself. The model can be formulated as; Where: Yt is the value of time series at time t C is the intercept is the slope coefficient Yt-p is the lagged values of time series is the error term This method is suitable for univariate time series without trend and a seasonal component. Code Implementation # AR example from statsmodels.tsa.ar_model import AutoReg # fit model train,test = data[0:1000],data[1000:] model = AutoReg(train.humidity, lags=350) model_fit = model.fit() # make prediction pred = model_fit.predict(len(train),len(test)+len(train)-1,dynamic=False) plt.plot(test.humidity) plt.plot(pred,color='red') Rather than using past forecast values in regression, a moving average model uses past forecast errors in a regression-like model. In other words, the moving average models the next sequence as a linear function of residual error from the mean process at an earlier time step. Thus, it combines both autoregressive and moving average models. This method is suitable for univariate time series without trend and seasonal component. Code Implementation: #MA model from statsmodels.tsa.arima.model import ARIMA # fit model model = ARIMA(train.humidity,order=(300,0,0)) model_fit = model.fit() # make prediction pred = model_fit.predict(len(train),len(test)+len(train)-1) plt.plot(test.humidity) plt.plot(pred,color='red') It explicitly creates a suite of standard structure in time series data and it provides a simple and powerful method for forecasting. It combines both autoregressive and moving average models as well as a differencing pre-processing step of the sequence to make the sequence stationary. This method supports univariate time series with trend and without seasonal component. The statsmodel library provides the capability to fit ARIMA models. Code Implementation: from statsmodels.tsa.arima.model import ARIMA train,test = data.humidity[0:1000],data.humidity[1000:] X = train size = int(len(X) * 0.66) train, test = X[0:size], X[size:len(X)] history = [x for x in train] predictions = list() for i in range(len(test)): model = ARIMA(history, order=(5,1,0)) model_fit = model.fit() output = model_fit.forecast() pred = output[0] predictions.append(pred) true = test[i] history.append(obs) print('predicted=%f, expected=%f' % (pred, true)) plt.plot(test) plt.plot(predictions, color='red') An extension of ARIMA that supports the direct modeling of the seasonal component of the series is called SARIMA. The problem with ARIMA is that it does not support seasonal data i.e repeating cycles. ARIMA expects data that is not seasonal or seasonal component removed SARIMA adds the three hyperparameters to specify the AR, differencing and moving average for the seasonal component of series This model suitable for univariate time series with trend and seasonal component. Code Implementation: from statsmodels.tsa.statespace.sarimax import SARIMAX size = int(len(X) * 0.66) train, test = X[0:size], X[size:len(X)] history = [x for x in train] predictions = list() # walk-forward validation for t in range(len(test)): model = SARIMAX(history,seasonal_order=(3, 1, 0, 2)) model_fit = model.fit() output = model_fit.forecast() pred = output[0] predictions.append(pred) true = test[t] history.append(true) print('predicted=%f, expected=%f' % (pred, true)) plt.plot(test) plt.plot(predictions, color='red') The vector autoregression model can predict when two or more time series influence each other means the relationship involved in time series is bi-directional. This model considers each variable as a function of past values that are to be predicted, nothing but the time lag of the series. For all this, it considers an autoregressive model. The main difference between the previous model and VAR is, those models are unidirectional, where predictors influence the Y but not vice-versa. Whereas the VAR model is bidirectional, variables influence each other. This model is suitable for multivariate time series without trend and seasonal components. Code Implementation: Load multiple variables: x1 = data.humidity.values x2 = data.meantemp.values list1 = list() for i in range(len(x1)): x3 = x1[i] x4 = x2[i] row1 = [x3,x4] list1.append(row1) Fit and forecast to few steps from statsmodels.tsa.vector_ar.var_model import VAR # fit model model = VAR(list1) model_fit = model.fit() # make prediction forecast = model_fit.forecast(model_fit.y, steps=5) print(forecast) Output: [[95.76561271 10.57589906] [92.08148688 11.10511153] [88.87374484 11.59330815] [86.07847799 12.04540676] [83.64040052 12.46567364]] This article has seen the major techniques used to forecast time series entities with a practical use case. The most time-consuming thing in the univariate techniques is adjusting the lag values; the proper lag value decides the nature of forecasting. The rest of the techniques are straightforward. Dr. APJ Abdul Kalam Technical University (AKTU) MBA Notes (BMB, KMBN, KMB Series)VIEWDr. APJ Abdul Kalam Technical University (AKTU) BBA NotesVIEWChaudhary Charan Singh UniversityBBA NEP NotesVIEWChaudhary Charan Singh University B.Com NEP NotesVIEWGuru Gobind Singh Indraprastha University BBA NotesVIEWGuru Gobind Singh Indraprastha University B.COM (Hons.) NotesVIEWGuru Gobind Singh Indraprastha University MBA NotesVIEWChhatrapati Shahu Ji Maharaj University (CSJMU) Kanpur BBA NotesVIEWMaharshi Dayanand University (MDU) BBA NOTESVIEW Page 2 17 ledarskapsteorier Hederstedt Advisory - Behavioral Theories (Ohio and Michigan Studies) [] Ohio State University, University of Michiganrtal: 1950-1960-talLs mer: citeringar: Varierar beroende p [] Share copy and redistribute the material in any medium or format for any purpose, even commercially. Adapt remix, transform, and build upon the material for any purpose, even commercially. The licensor cannot revoke these freedoms as long as you follow the license terms. Attribution You must give appropriate credit , provide a link to the license, and indicate if changes were made . You may do so in any reasonable manner, but not in any way that suggests the licensor endorses you or your use. ShareAlike If you remix, transform, or build upon the material, you must distribute your contributions under the same license as the original. No additional restrictions You may not apply legal terms or technological measures that legally restrict others from doing anything the license permits. You do not have to comply with the license for elements of the material in the public domain or where your use is permitted by an applicable exception or limitation . No warranties are given. The license may not give you all of the permissions necessary for your intended use. For example, other rights such as publicity, privacy, or moral rights may limit how you use the material. A time series, as the name suggests, is a series of data points that are listed in chronological order. More often than not, time series are used to track the changes of certain things over short and long periods with the price of stocks or even other commodities being a prime example. Regardless, youre taking a closer look at how something changes at regular intervals over time which is important when attempting to use the past to forecast the future. Why time series analysis is important If you can see exactly how the price of a security has changed over time, for example, you can make a more educated guess about what might happen to the price over the same interval in the future. This can lead to better and more informed decision making, which is what makes time series analysis so important to so many sectors. Why time series data is unique A time series is a series of data points indexed in time. The fact that time series data is ordered makes it unique in the data space because it often displays serial dependence. Serial dependence occurs when the value of a datapoint at one time is statistically dependent on another datapoint in another time. However, this attribute of time series data violates one of the fundamental assumptions of many statistical analyses that data is statistically independent. What is autocorrelation in time series? The term autocorrelation refers to the degree of similarity between A) a given time series, and B) a lagged version of itself, over C) successive time intervals. In other words, autocorrelation is intended to measure the relationship between a variables present value and any past values that you may have access to. Therefore, a time series autocorrelation attempts to measure the current values of a variable against the historical data of that variable. It ultimately plots one series over the other, and determines the degree of similarity between the two. For the sake of comparison, autocorrelation is essentially the exact same process that you would go through when calculating the correlation between two different sets of time series values on your own. The major difference here is that autocorrelation uses the same time series two times: once in its original values, and then again once a few different time periods have occurred. Autocorrelation is also known as serial correlation, time series correlation and lagged correlation. Regardless of how its being used, autocorrelation is an ideal method for uncovering trends and patterns in time series data that would have otherwise gone undiscovered. Autocorrelation examples Its important to note that autocorrelation in time series data is that not all fields use this technique in exactly the same way. Its nothing if not malleable meaning that the simple principle of comparing data with a delayed copy of itself is equally valuable in a wide array of contexts. Likewise, not all of the applications of autocorrelation in various fields are equivalent meaning that theyre using a simple process to arrive at a totally different end result. Example 1: Regression analysis One prominent example of how autocorrelation is commonly used takes the form of regression analysis using time series data. Here, professionals will typically use a standard auto regressive model, a moving average model or a combination that is referred to as an auto regressive integrated moving average model, or ARIMA for short. Example 2: Scientific applications of autocorrelation Autocorrelation is also used quite frequently in terms of fluorescence correlation spectroscopy, which is a critical part of understanding molecular-level diffusion and chemical reactions in certain scientific environments. Example 3: Global positioning systems Autocorrelation is also one of the primary mathematical techniques at the heart of the GPS chip that is embedded in smartphones or other mobile devices. Here, autocorrelation is used to correct for propagation delay meaning the time shift that happens when a carrier signal is transmitted and before it is ultimately received by the GPS device in question. This is how the GPS always knows exactly where you are and tells you when and where to turn just before you arrive at that precise location. Example 4: Signal processing Autocorrelation is also a very important technique in signal processing, which is a part of electrical engineering that focuses on understanding more about (and even modifying or synthesizing) signals like sound, images and sometimes scientific measurements. In this context, autocorrelation can help people better understand repeating events like musical beats which itself is important for determining the proper tempo of a song. Many also use it to estimate a very specific pitch in a musical tone, too. Example 5: Astrophysics Astrophysics is that branch of astronomy that takes our known principles of both physics and chemistry and applies them in a way that helps us better understand the nature of objects in outer space, rather than simply remaining satisfied with knowing their relative position or how theyre moving. This is another important way in which autocorrelation is used, as it helps professionals study the spatial distribution between celestial bodies in the universe like galaxies. It can also be helpful when making multi-wavelength observations of low mass x-ray binaries, too. Why autocorrelation matters Often, one of the first steps in any data analysis is performing regression analysis. However, one of the assumptions of regression analysis is that the data has no autocorrelation. This can be frustrating because if you try to do a regression analysis on data with autocorrelation, then your analysis will be misleading. Additionally, some time series forecasting methods (specifically regression modeling) rely on the assumption that there isnt any autocorrelation in the residuals (the difference between the fitted model and the data). People often use the residuals to assess whether their model is a good fit while ignoring that assumption that the residuals have no autocorrelation (or that the errors are independent and identically distributed or i.i.d). This mistake can mislead people into believing that their model is a good fit when in fact it isnt. I highly recommend reading this article about How (not) to use Machine Learning for time series forecasting: Avoiding the pitfalls in which the author demonstrates how the increasingly popular LSTM (Long Short Term Memory) Network can appear to be an excellent univariate time series predictor, when in reality its just overfitting the data. He goes further to explain how this misconception is the result of accuracy metrics failing due to the presence of autocorrelation. Finally, perhaps the most compelling aspect of autocorrelation analysis is how it can help us uncover hidden patterns in our data and help usselect the correct forecasting methods. Specifically, we can use it to help identify seasonality and trend in our time series data. Additionally, analyzing the autocorrelation function (ACF) and partial autocorrelation function (PACF) in conjunction is necessary for selecting the appropriate ARIMA model for your time series prediction. Testing for autocorrelation Any autocorrelation that may be present in time series data is determined using a correlogram, also known as an ACF plot. This is used to help you determine whether your series of numbers is exhibiting autocorrelation at all, at which point you can then begin to better understand the pattern that the values in the series may be predicting. The most common autocorrelation test is called the Durbin-Watson test, which was named after James Durbin and Geoffrey Watson and was derived back in the early 1950s. Autocorrelation statistics and test Also commonly referred to as the Durbin-Watson statistic, this test is used to detect the presence of autocorrelation at a lag of one in any prediction errors uncovered from a regression analysis. The precise calculation used to conduct this test can be found here. Once you have successfully plugged your numbers into the Durbin-Watson test, it reports a statistic on a value of 0 to 4. If the value returned is 2, there is no autocorrelation in your time series to speak of. If the value is between 0 and 2, youre seeing what is known as positive autocorrelation - something that is very common in time series data. If the value is anywhere between 2 and 4, that means there is a negative correlation something that is less common in time series data, but that does occur under certain circumstances. How to determine if your time series data has autocorrelation For this exercise, Im using InfluxDB and the InfluxDB Python CL. I am using available data from the National Oceanic and Atmospheric Administrations (NOAA) Center for Operational Oceanographic Products and Services. Specifically, I will be looking at the water levels and water temperatures of a river in Santa Monica. Dataset:curl -o NOAA_data.txtinflux -import -path=NOAA_data.txt -precision=s -database=NOAA_water_databaseThis analysis and code is included in a jupyter notebook in this repo. First, I import all of my dependencies.import pandas as pdimport numpy as npimport matplotlibimport matplotlib.pyplot as pltfrom influxdb import InfluxDBClientfrom statsmodels.graphics.tsaplots import plot_pacffrom statsmodels.graphics.tsaplots import plot_acffrom scipy.stats import linregressNext I connect to the client, query my water temperature data, and plot it.client = InfluxDBClient(host='localhost', port=8086)h2O = client.query('SELECT mean("degrees") AS "h2O_temp" FROM "NOAA_water_database"."autogen"."h2o_temperature" GROUP BY time(12h) LIMIT 60')h2O_points = [p for p in h2O.get_points()]h2O_df = pd.DataFrame(h2O_points)h2O_df['time_step'] = range(0,len(h2O_df['time']))h2O_df.plot(kind='line',x='time_step',y='h2O_temp')plt.show() Fig 1. H2O temperature vs. timestep From looking at the plot above, its not obviously apparent whether or not our data will have any autocorrelation. For example, I cant detect the presence of seasonality, which would yield high autocorrelation. I can calculate the autocorrelation with Pandas.Sereis.autocorr() function which returns the value of the Pearson correlation coefficient. The Pearson correlation coefficient is a measure of the linear correlation between two variables. The Pearson correlation coefficient has a value between -1 and 1, where 0 is no linear correlation, >0 is a positive correlation, and 0, which verifies that our data doesnt have any autocorrelation. At first, I found this result surprising, because usually the air temperature on one day is highly correlated with the temperature the day before. I assumed the same would be true about water temperature. This result reminded me that streams and rivers dont have the same system behavior as air. Im no hydrologist, but I know spring fed streams or snowmelt can often be the same temperature year-round. Perhaps they exhibit a stationary temperature profile day to day where the mean, variance, and autocorrelation are all constant (where autocorrelation is = 0).Uncovering seasonality with autocorrelation in time series dataThe ACF can also be used to uncover and verify seasonality in time series data. Lets take a look at the water levels from the same dataset.client = InfluxDBClient(host='localhost', port=8086)h2O_level = client.query('SELECT "water_level" FROM "NOAA_water_database"."autogen"."h2o_feet" WHERE "location"=\'santa_monica\' AND time >= \'2015-08-22 22:12:00\' AND time range(start: -10m) |> filter(fn: (r) => r["_measurement"] == "cpu") |> filter(fn: (r) => r["cpu"] == "cpu-total") |> filter(fn: (r) => r["_field"] == "usage_user" or r["_field"] == "usage_system") |> last() """ print("Query to execute:\(query)") let response = try await client.queryAPI.queryRaw(query: query) let csv = String(decoding: response, as: UTF8.self) print("InfluxDB response: \(csv)") client.close() }} c import ArgumentParserimport Foundationimport InfluxDBSwiftimport InfluxDBSwiftApis@mainstruct WriteData: AsyncParsableCommand { @Option(name: .shortAndLong, help: "The name or id of the bucket destination.") private var bucket: String @Option(name: .shortAndLong, help: "The name or id of the organization destination.") private var org: String @Option(name: .shortAndLong, help: "Authentication token.") private var token: String @Option(name: .shortAndLong, help: "HTTP address of InfluxDB.") private var url: String}extension WriteData { mutating func run() async throws { // // Initialize Client with default Bucket and Organization // let client = InfluxDBClient(url: url, token: token, options: InfluxDBClient.InfluxDBOptions(bucket: bucket, org: org)) // // Record defined as Data Point // let recordPoint = InfluxDBClient .Point("demo") .addTag(key: "type", value: "point") .addField(key: "value", value: .int(2)) // // Record defined as Data Point with Timestamp // let recordPointDate = InfluxDBClient .Point("demo") .addTag(key: "type", value: "point-timestamp") .addField(key: "value", value: .int(2)) .time(time: .date(Date())) try await client.makeWriteAPI().write(points: [recordPoint, recordPointDate]) print("Written data:\([recordPoint, recordPointDate].map { "\t- \($0)" }.joined(separator: "\n"))") print("Success!") client.close() }} c import {InfluxDBClient} from '@influxdata/influxdb3-client'import {tableFromArrays} from 'apache-arrow';const database = process.env.INFLUX_DATABASE;const token = process.env.INFLUX_TOKEN;const host = " ";async function main() { const client = new InfluxDBClient({host, token}) const query = ` SELECT room, DATE_BIN(INTERVAL '1 day', time) AS _time, AVG(temp) AS temp, AVG(hum) AS hum, AVG(co) AS co FROM home WHERE time >= now() - INTERVAL '90 days' GROUP BY room, _time ORDER BY _time ` const result = await client.query(query, database) const data = {room: [], day: [], temp: []} for await (const row of result) { data.day.push(new Date(row._time).toISOString()) data.room.push(row.room) data.temp.push(row.temp) } console.table([...tableFromArrays(data)]) client.close()}main() c import {InfluxDBClient} from '@influxdata/influxdb3-client'const database = process.env.INFLUX_DATABASE;const token = process.env.INFLUX_TOKEN;const host = " ";async function main() { const client = new InfluxDBClient({host, token}) const record = "home,room=Living\\ Room temp=22.2,hum=36.4,co=17i" await client.write(record, database) client.close()}main() c package com.influxdb3.examples; import com.influxdb.v3.client.InfluxDBClient;import java.util.stream.Stream; public final class Query { private Query() { //not called } /** * @throws Exception */ public static void main() throws Exception { final String hostUrl = " "; final char[] authToken = (System.getenv("INFLUX_TOKEN")).toCharArray(); final String database = System.getenv("INFLUX_DATABASE"); try (InfluxDBClient client = InfluxDBClient.getInstance(hostUrl, authToken, database)) { String sql = """ SELECT room, DATE_BIN(INTERVAL '1 day', time) AS _time, AVG(temp) AS temp, AVG(hum) AS hum, AVG(co) AS co FROM home WHERE time >= now() - INTERVAL '90 days' GROUP BY room, _time ORDER BY _time"""; String layoutHeading = "| %-16s | %-12s | %-6s |%n"; System.out.printf("----------%n"); System.out.printf(layoutHeading, "day", "room", "temp"); System.out.printf("----------%n"); String layout = "| %-16s | %-12s | %.2f |%n"; try (Stream stream = client.query(sql)) { stream.forEach(row -> System.out.printf(layout, row[1], row[0], row[2])); } } }} c package com.influxdb3.examples;import com.influxdb.v3.client.InfluxDBClient;public final class Write { public static void main() throws Exception { final String hostUrl = " "; final char[] authToken = (System.getenv("INFLUX_TOKEN")).toCharArray(); final String database = System.getenv("INFLUX_DATABASE"); try (InfluxDBClient client = InfluxDBClient.getInstance(hostUrl, authToken, database)) { String record = "home,room=Living\\ Room temp=22.2,hum=36.4,co=17i"; System.out.printf("Write record: %s%n", record); client.writeRecord(record); } }} c InfluxDB2::Client.use(' ', 'my-token', org: 'my-org') do |client| result = client .create_query_api .query_raw(query: 'from(bucket:"my-bucket") |> range(start: 1970-01-01) |> last()') puts resultend c InfluxDB2::Client.use(' ', 'my-token', bucket: 'my-bucket', org: 'my-org', precision: InfluxDB2::WritePrecision::NANOSECOND) do |client| write_api = client.create_write_api write_api.write(data: 'h2o,location=west value=33i 15')end c package exampleimport org.apache.pekko.actor.ActorSystemimport org.apache.pekko.stream.scaladsl.Sinkimport com.influxdb.client.scala.InfluxDBClientScalaFactoryimport com.influxdb.query.FluxRecordimport scala.concurrent.Awaitimport scala.concurrent.duration.Durationobject InfluxDB2ScalaExample { implicit val system: ActorSystem = ActorSystem("it-tests") def main(args: Array[String]): Unit = { val influxDBClient = InfluxDBClientScalaFactory .create(" ", "my-token".toCharArray, "my-org") val fluxQuery = ("from(bucket: \"my-bucket\")" + " |> range(start: -1d)" + " |> filter(fn: (r) => (r[\"_measurement\"] == \"cpu\" and r[\"_field\"] == \"usage_system\"))") //Result is returned as a stream val results = influxDBClient.getQueryScalaApi().query(fluxQuery) //Example of additional result stream processing on client side val sink = results //filter on client side using `filter` built-in operator .filter(it => "cpu0" == it.getValueByKey("cpu")) //take first 20 records .take(20) //print results .runWith(Sink.foreach[FluxRecord](it => println(s"Measurement: ${it.getMeasurement}, value: ${it.getValue}"))) // wait to finish Await.result(sink, Duration.Inf) influxDBClient.close() system.terminate() }} c package com.influxdb.client.scala.internal import org.apache.pekko.Doneimport org.apache.pekko.stream.scaladsl.{Flow, Keep, Sink, Source}import com.influxdb.client.InfluxDBClientOptionsimport com.influxdb.client.domain.WritePrecisionimport com.influxdb.client.internal.{AbstractWriteBlockingClient, AbstractWriteClient}import com.influxdb.client.scala.WriteScalaApiimport com.influxdb.client.service.WriteServiceimport com.influxdb.client.write.{Point, WriteParameters} import javax.annotation.Nonnullimport scala.collection.immutable.ListMapimport scala.concurrent.Futureimport scala.jdk.CollectionConverters._ class WriteScalaApiImpl(@Nonnull service: WriteService, @Nonnull options: InfluxDBClientOptions) extends AbstractWriteBlockingClient(service, options) with WriteScalaApi { override def writeRecord(precision: Option[WritePrecision], bucket: Option[String], org: Option[String]): Sink[String, Future[Done]] = { Flow[String] .map(record => Seq(new AbstractWriteClient.BatchWriteDataRecord(record))) .toMat(Sink.foreach(batch => writeHttp(precision, bucket, org, batch)))(Keep.right) } override def writeRecords(precision: Option[WritePrecision], bucket: Option[String], org: Option[String]): Sink[Seq[String], Future[Done]] = { writeRecords(toWriteParameters(precision, bucket, org)) } override def writeRecords(parameters: WriteParameters): Sink[Seq[String], Future[Done]] = { Flow[Seq[String]] .map(records => records.map(record => new AbstractWriteClient.BatchWriteDataRecord(record))) .toMat(Sink.foreach(batch => writeHttp(parameters, batch)))(Keep.right) } override def writePoint(bucket: Option[String], org: Option[String]): Sink[Point, Future[Done]] = { Flow[Point] .map(point => (point.getPrecision, Seq(new Abstract

What is time series analysis in statistics. Types of time series analysis. Use of time series analysis. What is time series analysis.